
Investigation on the sky-position reconstruction given two geometries of ET

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Outline

- Overview
- Technical details
- Preliminary results
- Outlook

Overview

- Investigate the ability of two different ET geometries to reconstruct the sky position
- **Using individual SNR values only!**
- Do not use time-delay information.
- Two ET geometries:
 - Two L-shaped instruments at Hanover and Cascina, the Hanover instrument 45deg rotated. $L=7.5$ km
 - Triangular instrument at Cascina only. $L=10$ km

Technical I

- Using self-made code: pyET.py
 - Can choose noise curve (LIGO-I, advanced, ETB, ETC)
 - Can define any detector with any arm directions
 - Can create a 'network' of detectors
 - Calculates the SNR of a signal (VIR-027A-09)

$$\rho = 1.56 \times 10^{-19} \left(\frac{\mathcal{M}}{M_{\odot}} \right)^{5/6} \left(\frac{Mpc}{r} \right) f_{geo} \sqrt{\int_{f_{low}}^{f_{ISCO}} \frac{f^{-7/3}}{S_h(f)} df}$$

Technical II

- For now:
 - masses = 1.4/1.4 Solar masses
 - distance = 1 Mpc
- SNR value depends only on
 - low cutoff frequency (LIGO-I: 40, adv: 10, ET: 3 [Hz])
 - sky position
 - source orientation

Determine the sky area

- To determine the 1-sigma sky area:
 - Use the known position of the source
 - Go from that source in small steps ($\Delta\varphi$) in some direction (α)
 - Determine when $\delta = \sqrt{\sum_{i=1}^n (\rho_i - \hat{\rho}_i)^2}$ is >1
 - Repeat procedure from same point in different direction.

Determining sky area

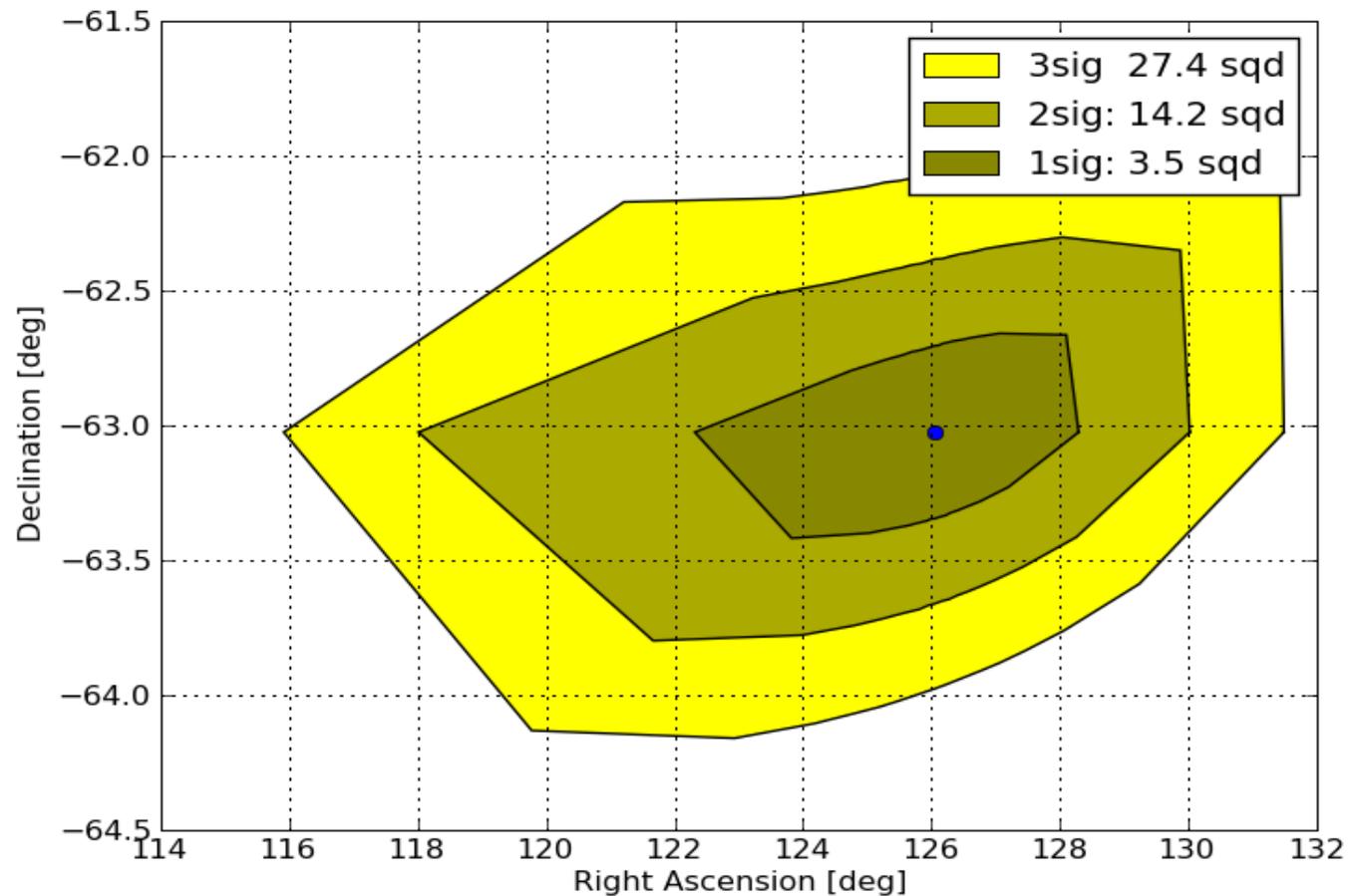
Example

SNR:

- H1: 51
- L1: 30
- V1: 130

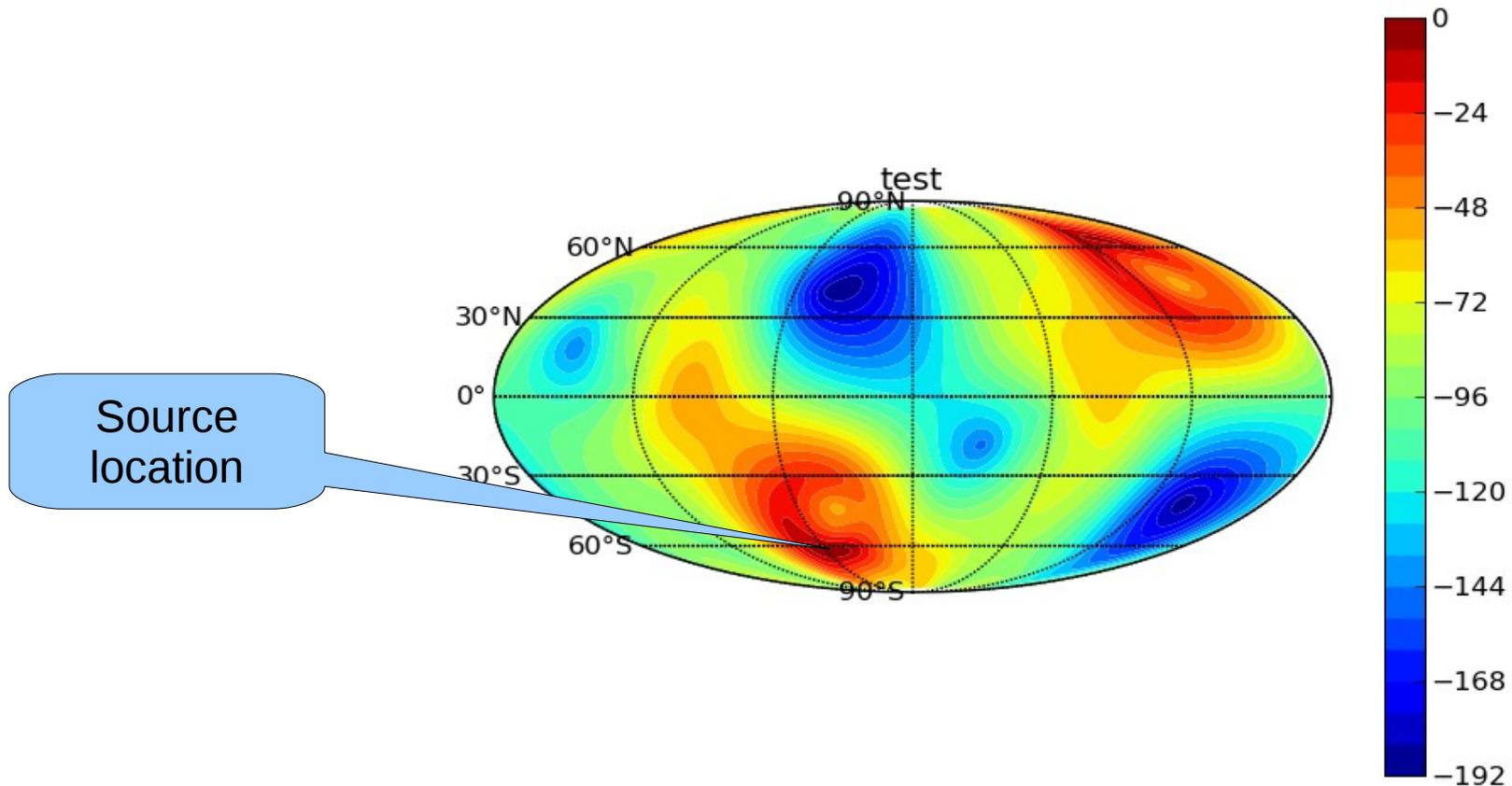
(SNR ET:

- 20'000-30'000)



Example: δ over the sky

- Difference in SNR

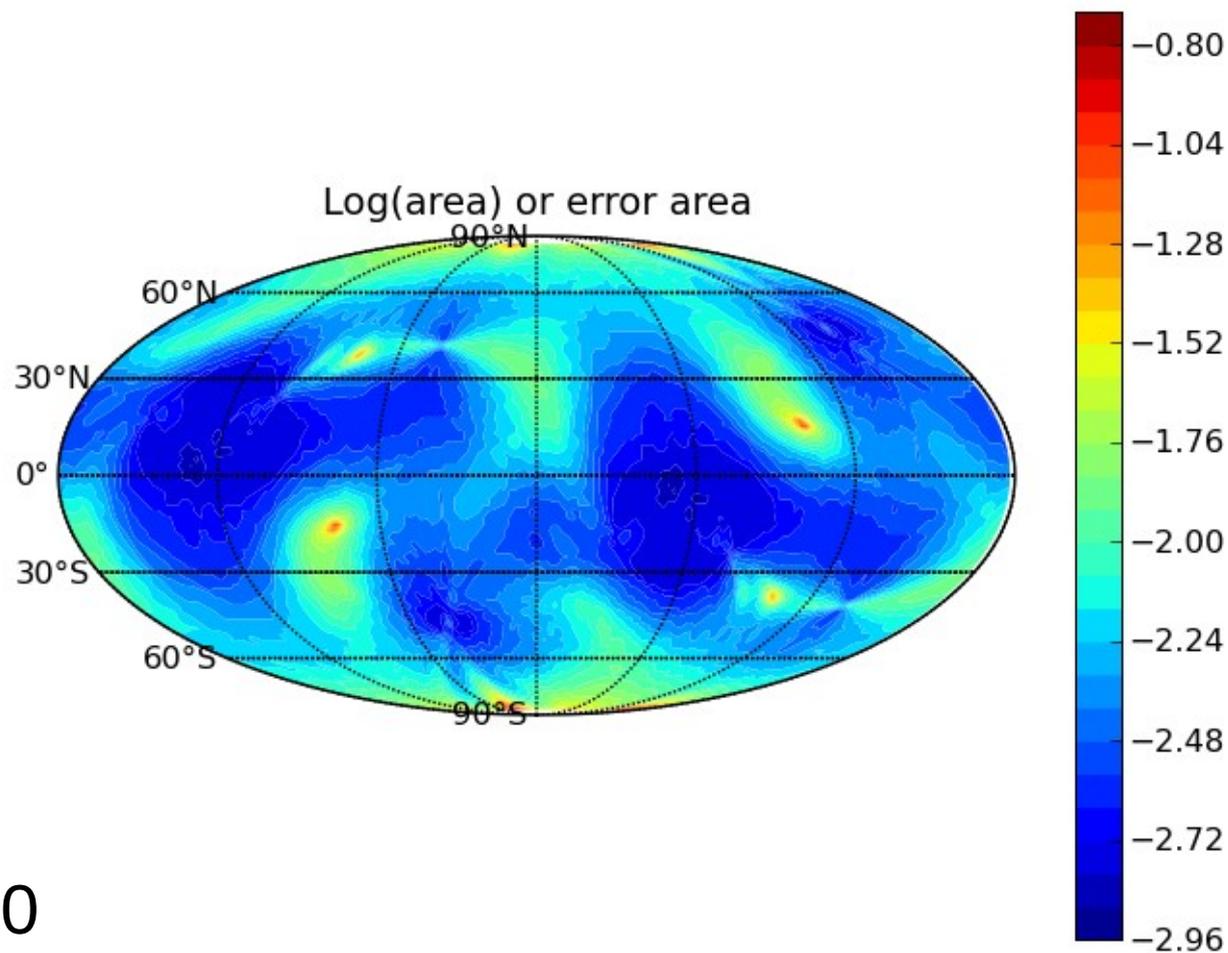


Prelim. results

- Choosing 5000 random sky locations
- random source orientation
- Masses = 1.4/1.4, Distance=1 Mpc
- 1-sigma areas in square-degree:

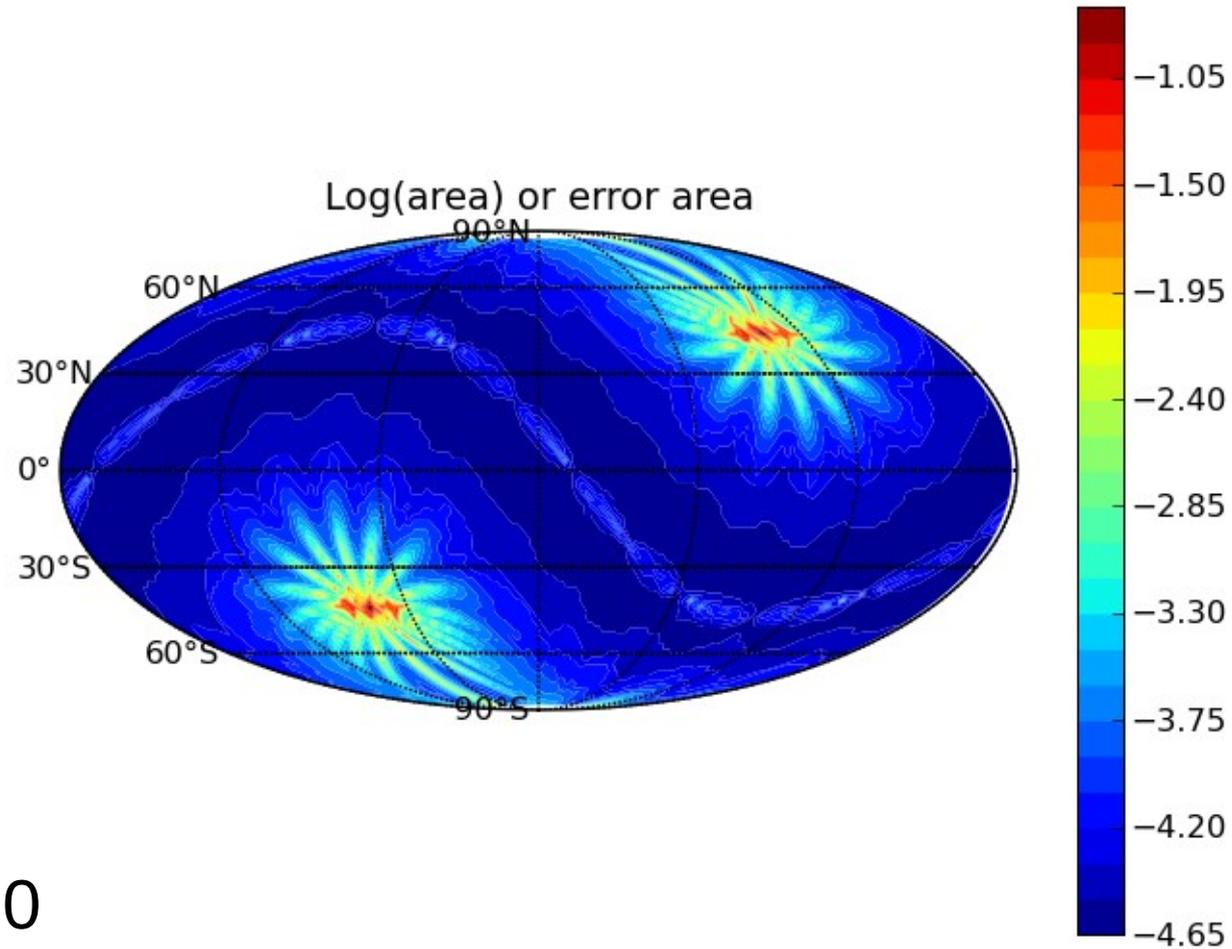
	min	max	median
Initial	4.12	57.1	4.12
Advanced	1.03	1.94	1.03
ET triple	3.00E-005	0.22	6.00E-005
ET double	1.00E-004	0.12	1.40E-004

Results: Advanced detectors



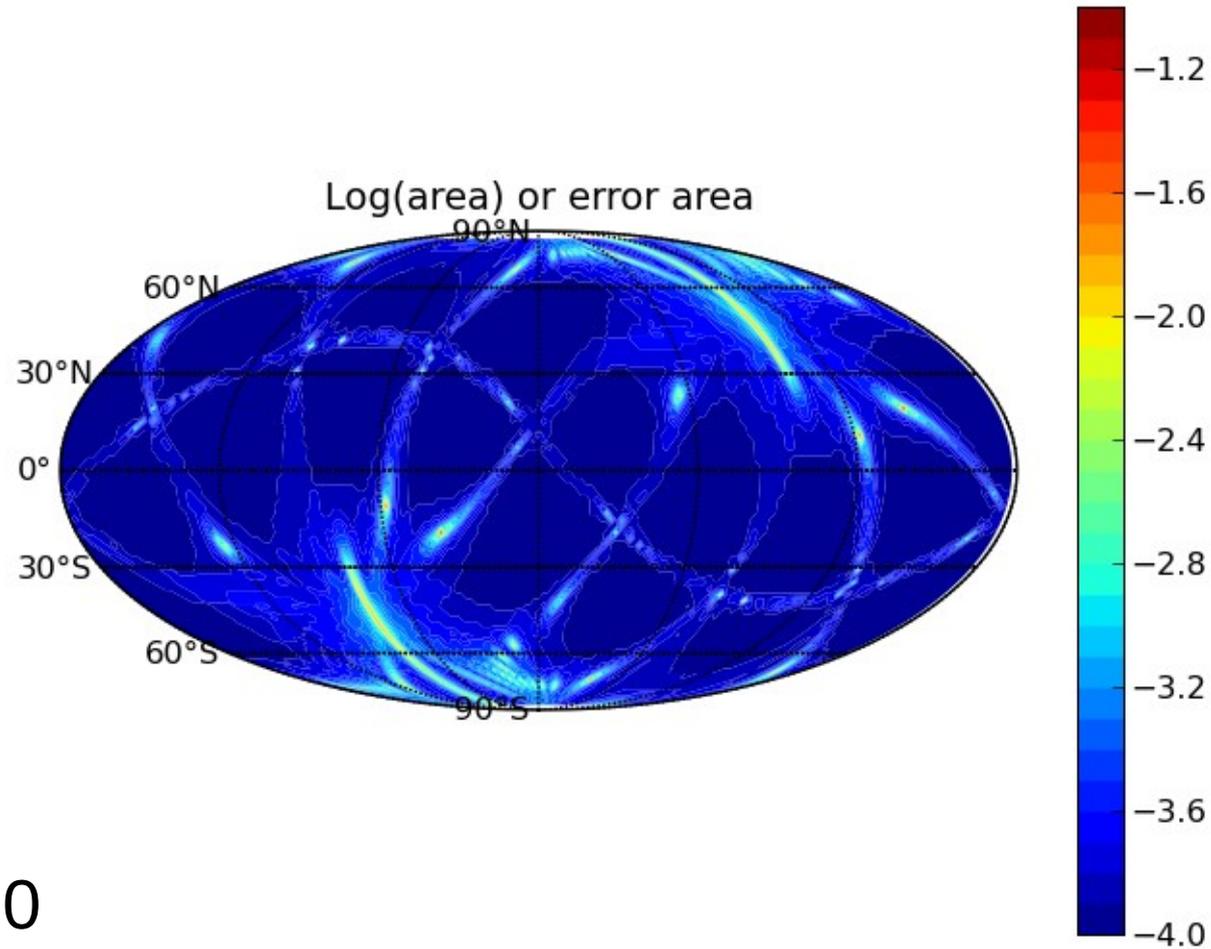
$\text{incl} = \text{pol} = 0$

ET: Triangle



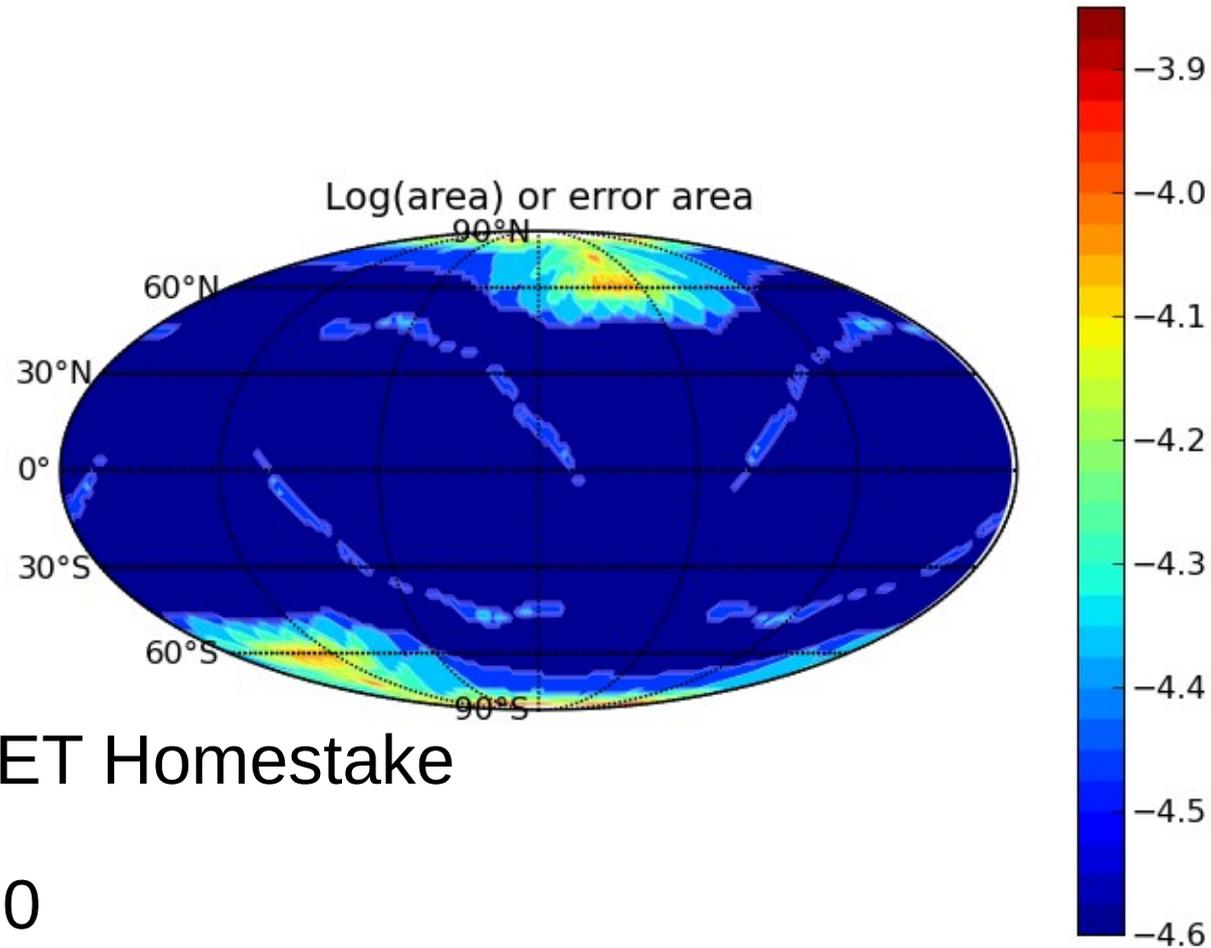
$\text{incl} = \text{pol} = 0$

ET: Two separate



$\text{incl} = \text{pol} = 0$

Double Triple



ET Cascina, ET Homestake

$\text{incl} = \text{pol} = 0$

Outlook

- Compare with **Time-of-Flight** estimations
- Look at double ET case (Europe/US)
- Use **realistic distances** (e.g. volume-sampling)
- Use **higher masses** (*cf. TOF*)
- *Verify the code*